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## CONSTRUCTIBILITY IN THE IMPREDICATIVE THEORY OF CLASSES

In *Internal and forcing models for the impredicative theory of classes* (to appear in **Diss. Math.**) one of the authors defined the collection  $L$  of constructible classes for the impredicative theory of classes (which we call  $MT$ ) and sketched a proof that  $L$  satisfies  $MT$  and that strong versions of the axiom of choice are valid in  $L$ . We shall study the model  $L$  further and prove that the generalized continuum hypothesis is valid in  $L$ , that all sets are constructed from ordinals, and that  $L$  is the minimal model which contains all ordinals.

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